

1. Cutting Speed: The distance travelled by the cutting tool along the work-piece in one minute is called cutting speed.

* It is expressed as m/min.

Mathematically,

$$\text{Cutting speed} = \frac{\pi D N}{100} \text{ m/min.}$$

where, D = diameter of job (cm)

N = speed (rpm)

⇒ Cutting speed depends upon following factors:-

i) Machinability of Material:-

Machinability is the ease with which material component is machined.

* Hard materials require lower cutting speed than soft and ductile materials.

ii) Material of Cutting Tool:- cutting speed depends upon material of the cutting tool also. e.g., high speed steel tools cut at higher rate than carbon steel for same material components.

iii) Use of cutting fluid: - By using ^⑦ good cutting fluid, cutting speed may be increased.

iv) Feed and depth of cut: - If feed and depth of cut is more, less cutting speed is required and vice-versa.

2. Feed:- The distance travelled by the tool along the work piece or by the work-piece to the tool in each revolution is called Feed.

* It is generally expressed in mm per revolution.

⇒ Feed depends upon:-

i) depth of cut ii) cutting speed
and iii) power of the machine.

3. Depth of Cut: - The amount by which a tool is inserted into the work piece during one cut is called depth of cut.

⇒ In other words, it is the thickness of metal removed in one cut.

* It is expressed in mm.

Lathe Operation :-

We will discuss estimation of machining time on following lathe operations.

1. Turning
2. Drilling
3. Boring
4. Tapping
5. Threading

Turning :- It is the process of reducing the external diameter of work piece by applying cut or a number of cuts.

Let D = diameter of workpiece (cm)

N = Revolution of workpiece /min.

F = Feed / revolution.

then,

cutting speed,
$$S = \frac{\pi D N}{100} \text{ m/min}$$

Now, Feed/min = Feed/rev. $\times$ rpm.

and, Time taken to turn L metre length

$$T = \frac{L}{\text{Feed/min}} = \frac{L}{\text{Feed/rev.} \times \text{rpm}}$$

or
$$T = \frac{L}{F \times N} \text{ min.}$$

Numeric Problems

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1. Find the time taken to turn a brass component of 5 cm diameter and 8 cm long, if the cutting speed is 45 m/min. and feed is 0.5 mm/rev. Assume single cut.

Solution: — Given,

$$D = 5 \text{ cm},$$

$$L = 8 \text{ cm},$$

$$S = 45 \text{ m/min.}$$

$$F = 0.5 \text{ mm/rev.}$$

$$= 0.05 \text{ cm/rev.}$$

Let N = Number of revolutions per min.

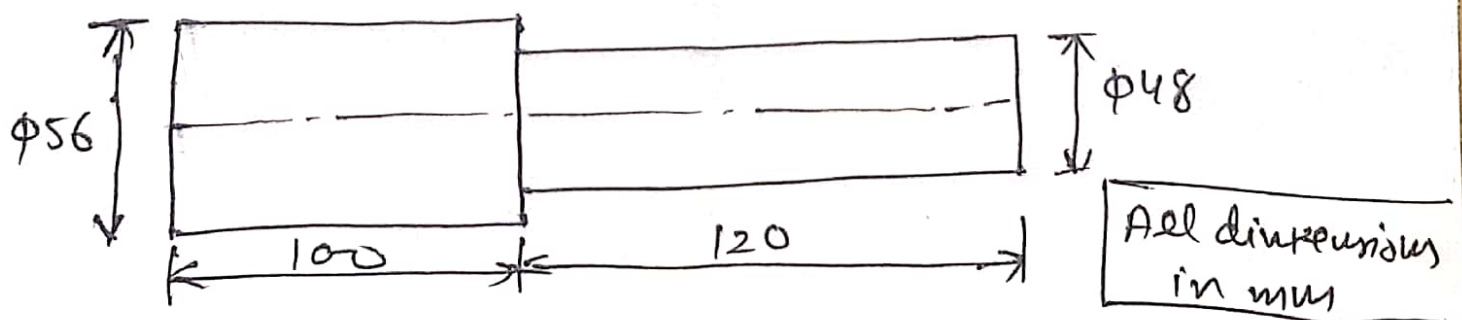
Cutting speed, $S = \frac{\pi D N}{100}$

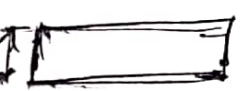
$$45 = \frac{\pi \times 5 \times N}{100} \quad \text{or} \quad \boxed{N = 286 \text{ rpm}}$$

∴ Machining Time, $T = \frac{L}{F \times N}$

$$= \frac{8}{0.05 \times 286} = \boxed{0.56 \text{ min}} \quad \text{Ans}$$

2. Calculate time required to turn a 60 mm diameter rod to as shown in figure. Take cutting speed as 20 m/min, feed as 1.2 mm/rev. All cuts are 2 mm deep.



Solⁿ. - Given $L_1 = 220 \text{ mm}$, $L_2 = 100 \text{ mm}$, $L_3 = 120 \text{ mm}$. $D = 60 \text{ mm}$. 40° 

$$S = 20 \text{ m/min}, \quad F = 1.2 \text{ mm/rev.}$$

* In first step diameter of rod will be reduced from 60 mm to 56 mm for a length of 220 mm by turning.

∴ Depth of cut = 2 mm. So one cut is required.

$$\text{Cutting Speed, } S = \frac{\pi D N_1}{100} = \frac{\pi \times 60 \times N_1}{100}$$

$$\text{or } N_1 = \frac{100 \times S}{\pi \times 60} = \frac{100 \times 20}{\pi \times 60} = \boxed{106.2 \text{ rpm}}$$

$$\text{Time for turning, } T_1 = \frac{L_1}{F \times N_1} = \frac{220}{1.2 \times 106}$$

$$\text{or } \boxed{T_1 = 1.73 \text{ minutes}}$$

In Second step, the diameter of rod will be reduced from 56 mm to 48 mm for a length 120 mm.

∴ depth of cut = 2 mm
So 2 cuts will be required.

1st cut: - (56 to 52) mm

$$S = \frac{\pi D N_2}{100}$$

$$20 = \frac{\pi \times 5.6 \times N_2}{100}$$

$$\text{or } \boxed{N_2 = 114.2 \text{ rpm}}$$

Time for turning.

$$T_2 = \frac{L_2}{F \times N_2} = \frac{120}{1.2 \times 114} = \boxed{0.73 \text{ min.}}$$

2nd cut: - (52 to 48) mm

$$S = \frac{\pi D N_3}{100}$$

$$20 = \frac{\pi \times 5.2 \times N_3}{100}$$

$$\boxed{N_3 = 122.2 \text{ rpm}}$$

Time for turning.

$$T_3 = \frac{L_3}{F \times N_3} = \frac{120}{1.2 \times 122} = \boxed{0.82 \text{ min.}}$$

Total turning time

$$T = T_1 + T_2 + T_3 = 1.73 + 0.73 + 0.82 = \boxed{3.28 \text{ min}}$$