

Lesson Plan

2019-20(Even Semester)

Class and Section: M.Sc.Math - 2nd Sem.

Subject: Communication skills and Personality Development

Name of the Faculty : Mr. Sushil kumar

Week	Lecture	Date	Topics
	1	16-Jan-20	Introduction to Syllabus, Scheme of Exam &
	2		Learning Objectives/Outcomes
	3	22-Jan-20	Some basics of grammar
	4	23-Jan-20	Writing skills
	5	29-Jan-20	Unit 1 complete
	6	30-Jan-20	
	7	05-Feb-20	Unit 2 33% complete
	8	06-Feb-20	Unit 2 66% complete
	9	12-Feb-20	unit 2 complete
	10	13-Feb-20	Doubt session
	11	19-Feb-20	Test
	12	20-Feb-20	Question paper discussion
	13		
	14	26-Feb-20	Unit 3 (33%+33%) 66% complete
	15	27-Feb-20	
	16	04-Mar-20	unit 3 complete
	17	05-Mar-20	Doubt session
	18	11-Mar-20	Unit 4 (33%+33%)66% complete
	19	12-Mar-20	
	20	18-Mar-20	Unit 4 complete
	21	19-Mar-20	Doubt session
	22	25-Mar-20	Test
	23	01-Apr-20	Question paper discussion
	24	08-Apr-20	Revision
	25	09-Apr-20	Revision
	26	15-Apr-20	Revision
	27	16-Apr-20	Revision
	20th - 24t	h April 20	Final Sessional Test

RPS Degree College, Balana (Mahendergarh)				
	Class and Section: M.sc 2nd sem (A+B)			
		ntegration Tl	ieory	
	e Faculty :M			
Week	Lecture	Date	Topics	
1	7	16/01/20 to 24/01/20		
2	5	27/01/20 to 31/01/20	Algebra of measurable sets, Borel Sets	
3	5	03/02/20 to 07/02/20	measurability of Borel Sets, Countable additivity of lebesgue measure	
4	5	10/02/20 to 14/02/20	theorem on lebesgue measure ,equivalent formulation of measurable sets in form of open sets	
5	5	17/02/20 to 21/02/20	Measurable function and their properties, approximation of measurable function by a sequence of simple function	
6			1st Class Test	
7	5	24/02/20 to 28/02/20	measurable functions as nearly continuous function, Egoroff's theorem	
8	5	02/03/20 to 06/03/20	lustin theorem , convergence in measure. F.riesz theorem for convergence in measure	
9	5	09/03/20 to 13/03/20	Shortcomings of Riemann integral, Lebesgue integral of a bounded funcion over a set of finite measureand its properties, Lebesgue integral as a generalisation of Riemann integral, Bounded convergence theorem	
10				
11	5	16/03/20 to 20/03/20	Integral of non negative function, Fatou's lemma, Monotone convergence theorem, general Lebesgue Integal	
12	5	23/03/20 to 27/03/20	Lebesgue convergence theorem, Vitali;s covering lemma, Differentation of monotonic function,	
13	5	06/04/20 to 10/04/20	Function of bounded variation and their representation as difference of monotonic function,	
14	5	30/03/20 to 03/04/20	Differentation of indefinite integral, fundamental theorem of calclus,	
15	5	13/04/20 to 17/04/20	Absolutely continuous function and their properties , Jensen;s inequality	
16			Final Sessional Test	

	RPS I	Degree Col	llege, Balana (Mahendergarh)				
RPS D C	Lesson Plan 2020-21 (Even Semester)						
	Class and Section: M.Sc. Mathematics 2nd sem A						
	Subject: 17MAT22CC1, Field Extensions and Galois Theory Name of the Faculty : Mr. YP Singh						
Week	Lecture	Date	Topics				
1	7	16/01/20 to 24/01/20	Basic definitions and examples				
2	5	27/01/20 to 31/01/20	Fields, Prime fields, Finite field extensions				
3	5	03/02/20 to 07/02/20	Degree of field extensions, Simple Extensions, Algebraic extensions				
4	5	10/02/20 to 14/02/20	Splitting fields, Algebraically closed fields.				
5	5	17/02/20 to 21/02/20	Separable and inseparable extensions, Perfect fields.				
6			1 st Class Test				
7	5	24/02/20 to 28/02/20	Monomorphisms and their linear independence, Automorphism of fields, Fixed fields				
8	5	02/03/20 to 06/03/20	Normal extensions, The fundamental theorem of Galois theory.				
9	5	09/03/20 to 13/03/20	Finite fields, Existence of GF(pn), Construction of finite fields				
10			2nd Class Test				
11	5	16/03/20 to 20/03/20	Primitive elements, Langrage's theorem on primitive elements				
12	5	23/03/20 to 27/03/20	Roots of unity, Cyclotomic polynomials, Cyclotomic extensions of rational number field.				
13	5	06/04/20 to 10/04/20	Solutions by radicals, Extension by radicals,				
14	5	30/03/20 to 03/04/20	Generic polynomial, Insolvability of the general polynomial of degree n 5 by radicals				
15	5	13/04/20 to 17/04/20	Ruler and compasses construction.				
16			Final Sessional Test				



Lesson Plan

2020-21 (Even Semester)

	2020-21 (Even Semester)				
Class and Section: M.Sc. Math 2nd Sem A					
Subject: General Topology					
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Week	Lecture	Date	Topics		
1	7	16/01/20 to 24/01/20	Definition and examples of topological spaces, Comparison of topologies on a set, Intersection and union of topologies on a set, Limit point of a set, Derived set		
2	5	27/01/20 to 31/01/20	Closed set, Closure of a set, Kuratowski closure axioms, Closure operator, Dense sets, Interior point and Interior of a set, Interior axioms, Exterior of a set, Exterior axioms, Boundary of a set		
3	5	03/02/20 to 07/02/20	Interior, exterior and boundary operators, Neighborhoods, Alternative methods of defining a topology in terms of neighborhood system and Kuratowski closure operator.		
4	5	10/02/20 to 14/02/20	Relative (Induced) topology, Base and subbase for a topology, Base for neighbourhood system.		
5	5	17/02/20 to 21/02/20	Relative (Induced) topology, Base and subbase for a topology, Base for neighbourhood system.		
6			1st Class Test		
7	5	24/02/20 to 28/02/20	Connectedness and its characterization, Connected subsets and their properties, Continuity and connectedness, Components, Locally connected spaces.		
8	5	02/03/20 to 06/03/20	Separation axioms: T0, T1, T2-spaces, their characterization and basic properties, T2- spaces and sequences.		
9	5	09/03/20 to 13/03/20	First countable, Second countable and Separable spaces, Hereditary and topological property		
10			2nd Class Test		
11	5	16/03/20 to 20/03/20	First countable, Second countable and Separable spaces, Hereditary and topological property		
12	5	23/03/20 to 27/03/20	Countability of a collection of disjoint open sets in separable and second countable spaces, Lindel [°] of theorem.		
13	5	06/04/20 to 10/04/20	Compact spaces and subsets, Compactness in terms of finite intersection property,		
14	5	30/03/20 to 03/04/20	Basic properties of compactness, Closedness of compact subset of a Hausdorff space and of a continuous map from a compact space into a Hausdorff and its consequence.		
15	5	13/04/20 to 17/04/20	Sequentially and Countably compact spaces, Locally compact spaces and One point compactification.		
16			Final Sessional Test		



Lesson Plan

2020-21 (Even Semester)

2020-21 (Even Semester)				
Class and Section: M.Sc. Math 2nd Sem A Subject: Integral equation and Calculus of variation				
		and Calc		
Name of the Week			Topics	
1	Lecture 7	Date 16/01/20 to 24/01/20	Linear Integral equations, Some basic identities, Initial value problems reduced to Volterra integral equations, Methods of successive substitution	
2	5	27/01/20 to 31/01/20	successive approximation to solve Volterra integral equations of second kind, Iterated kernels and Neumann series for Volterra equations	
3	5	03/02/20 to 07/02/20	Resolvent kernel as a series, Laplace transform method for a difference kernel, Solution of a Volterra integral equation of the first kind.	
4	5	10/02/20 to 14/02/20	Boundary value problems reduced to Fredholm integral equations, Methods of successive approximation and successive substitution to solve Fredholm equations of second kind	
5	5	17/02/20 to 21/02/20	Iterated kernels and Neumann series for Fredholm equations, Resolvent kernel as a sum of series, Fredholm resolvent kernel as a ratio of two series,	
6			1st Class Test	
7	5	24/02/20 to 28/02/20	Fredholm equations with separable kernels, Approximation of a kernel by a separable kernel, Fredholm Alternative, Non homogeneous Fredholm equations with	
8	5	02/03/20 to 06/03/20	Green's function, Use of method of variation of parameters to construct the Green's function for a non-homogeneous linear second order boundary value problem	
9	5	09/03/20 to 13/03/20	Basic four properties of the Green's function, Alternate procedure for construction of the Green's function by using its basic four properties.	
10			2nd Class Test	
11	5	16/03/20 to 20/03/20	Reduction of a boundary value problem to a Fredholm integral equation with kernel as Green's function, Hilbert-Schmidt theory for symmetric kernels.	
12	5	23/03/20 to 27/03/20	Motivating problems of calculus of variations, Shortest distance, Minimum surface of resolution	
13	5	06/04/20 to 10/04/20	Motivating problems of calculus of variations, Shortest distance, Minimum surface of resolution	
14	5	30/03/20 to 03/04/20	Motivating problems of calculus of variations, Shortest distance, Minimum surface of resolution	
15	5	13/04/20 to 17/04/20	Conditional extremum under geometric constraints and under integral constraints.	
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Lesson Plan 2020-21 (Even Semester)Class and Section: M.Sc. Mathematics 2nd sem A+B Subject: 17MAT22CCL, Field Extensions and Galois TheoryName of the Faculty: Mr. YP SinghTopics17 $16/01/20$ to 24/01/20Basic definitions and examples25 $27/01/20$ to 24/01/20Basic definitions and examples35 $03/02/20$ to $07/02/20$ Degree of field extensions, Simple Extensions, Algebraic extensions45 $10/02/20$ to $14/02/20$ Splitting fields, Algebraically closed fields.55 $17/02/20$ to $14/02/20$ to $21/02/20$ to $21/02/20$ Separable and inseparable extensions, Perfect fields.6Ist Class Test75 $24/02/20$ to $28/02/20$ to $06/03/20$ to $06/03/20$ to $06/03/20$ to $13/03/20$ Normal extensions, The fundamental theorem of Galois theory.95 $09/03/20$ to $13/03/20$ Finite fields, Existence of GF(pn), Construction of finite fields102nd Class Test115 $16/03/20$ to $20/03/20$ to $20/03/20$ to $20/03/20$ 125 $23/03/20$ to $20/03/20$ to $20/03/20$ to $20/03/20$ 135 $16/03/20$ to $20/03/20$ to $20/03/20$ to $20/03/20$ 145 $16/03/20$ to $20/03/20$ 15 $16/03/20$ to $20/03/20$ 162nd Class Test115 $16/03/20$ to $20/03/20$ 125 $23/03/20$ to $20/03/20$ 135 $16/03/20$ to $20/03/20$ 14 <th></th>	
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1 7 16/01/20 to 24/01/20 Basic definitions and examples 2 5 27/01/20 to 31/01/20 Fields, Prime fields, Finite field extensions 3 5 03/02/20 to 07/02/20 Degree of field extensions, Simple Extensions, Algebraic extensions 4 5 10/02/20 to 14/02/20 Splitting fields, Algebraically closed fields. 5 5 17/02/20 to 21/02/20 Separable and inseparable extensions, Perfect fields. 6 Ist Class Test Ist Class Test 7 5 24/02/20 to 28/02/20 Monomorphisms and their linear independence, Automorphism of fields, I fields 8 5 02/03/20 to 06/03/20 Normal extensions, The fundamental theorem of Galois theory. 9 5 09/03/20 to 13/03/20 Finite fields, Existence of GF(pn), Construction of finite fields 10 2nd Class Test 2nd Class Test 11 5 16/03/20 to 20/03/20 Primitive elements, Langrage's theorem on primitive elements	
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135 $06/04/20$ to $10/04/20$ Solutions by radicals, Extension by radicals,	
14 5 30/03/20 to 03/04/20 Generic polynomial, Insolvability of the general polynomial of degree n 5 by radicals	
155 $13/04/20$ to $17/04/20$ Ruler and compasses construction.	
16 Final Sessional Test	



Lesson Plan

2020-21 (Even Semester)

Class and S	Class and Section: M.Sc. Math 2nd Sem B			
Subject: General Topology				
		akesh Kuma	r	
Week	Lecture	Date	Topics	
1	7	16/01/20 to 24/01/20	Definition and examples of topological spaces, Comparison of topologies on a set, Intersection and union of topologies on a set, Limit point of a set, Derived set	
2	5	27/01/20 to 31/01/20	Closed set, Closure of a set, Kuratowski closure axioms, Closure operator, Dense sets, Interior point and Interior of a set, Interior axioms, Exterior of a set, Exterior axioms, Boundary of a set	
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4	5	10/02/20 to 14/02/20	Relative (Induced) topology, Base and subbase for a topology, Base for neighbourhood system.	
5	5	17/02/20 to 21/02/20	Relative (Induced) topology, Base and subbase for a topology, Base for neighbourhood system.	
6			1st Class Test	
7	5	24/02/20 to 28/02/20	Connectedness and its characterization, Connected subsets and their properties, Continuity and connectedness, Components, Locally connected spaces.	
8	5	02/03/20 to 06/03/20	Separation axioms: T0, T1, T2-spaces, their characterization and basic properties, T2-spaces and sequences.	
9	5	09/03/20 to 13/03/20	First countable, Second countable and Separable spaces, Hereditary and topological property	
10		!	2nd Class Test	
11	5	16/03/20 to 20/03/20	First countable, Second countable and Separable spaces, Hereditary and topological property	
12	5	23/03/20 to 27/03/20	Countability of a collection of disjoint open sets in separable and second countable spaces, Lindel" of theorem.	
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15	5	13/04/20 to 17/04/20	Sequentially and Countably compact spaces, Locally compact spaces and One point compactification.	
16			Final Sessional Test	